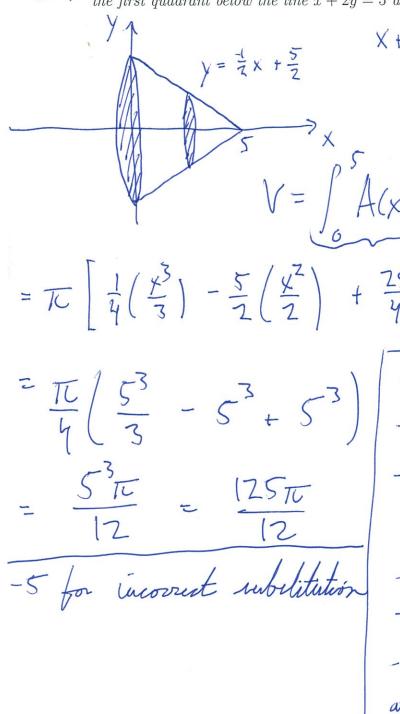
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Date: June 18, 2015

Quiz No. 1

Show all of your work, label your answers clearly, and do not use a calculator.

Problem 1 Find the volume of the solid generated by revolving the triangular region in the first quadrant below the line x + 2y = 5 about the x-axis.



$$V = \int_{0}^{5} A(x) dx = \int_{0}^{5} TC \left(+ \frac{1}{2}x^{2} + 2\frac{5}{2} \left(-\frac{1}{2} \right) x + \frac{25}{4} \right) c$$

$$\left(\frac{x^{2}}{2} \right) + \frac{25}{4}x \int_{0}^{5} (5) (5) (15)$$

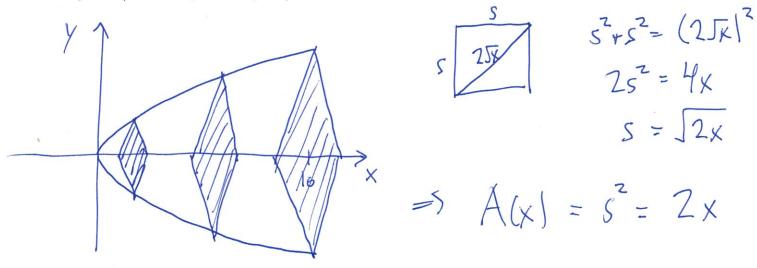
$$+ 5^{3} \int_{0}^{-5} for \left(arb \right)^{2} = a^{2} + b^{2}$$

$$+ 5^{3} \int_{0}^{-3} for addition to multiplication$$

$$-1/2 for arithmetic errors that don't affect process.
$$-3 for arithmetic errors that do affect process.
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$$-3 for arithmetic errors that do affect process.$$

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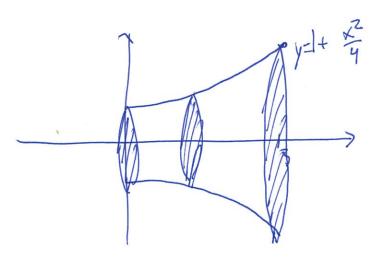
Problem 2 Find the volume of the solid described below: The solid lies between the planes perpendicular to the x-axis at x=0 and x=10. The cross-sections perpendicular to the axis on the interval $0 \le x \le 10$ are squares whose diagonals run from the parabola $y=-\sqrt{x}$ to the parabola $y=\sqrt{x}$.



$$V = \int_{6}^{10} A(x) dx = \int_{0}^{10} 2x dx = 2\left[\frac{x^{2}}{2}\right]^{10} = 100$$

To for confusing length of diegonal and side length to for wrong antidexivatives

Problem 3 Find the volume of the solid generated by revolving the region described about the given axis: The region is enclosed above by the curve $y = 1 + \frac{x^2}{4}$, below by the x-axis, to the left by the y-axis, and to the right by the line x = 3, rotated about the x-axis.



$$=\pi\left(3+\frac{9}{2}+\frac{3^{5}}{16.5}\right)$$

$$V = \int_{0}^{3} A(x) dx$$

$$= \int_{0}^{3} \pi \left(\left| + \frac{x^{2}}{4} \right|^{2} dx \right)$$

$$= \pi \int_{0}^{3} \left| + 2 \frac{x^{2}}{4} + \frac{x^{4}}{16} dx \right|$$

$$= \pi \left[x + \frac{1}{2} \left(\frac{x^{3}}{3} \right) + \frac{1}{16} \left(\frac{x^{5}}{5} \right) \right]$$

Problem 4 Find the length of the curve $x = \frac{y^3}{3} + \frac{1}{4y}$ from y = 1 to y = 6.

$$\begin{array}{lll}
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&=& \int_{1}^{6} \left[\frac{\partial x}{\partial y$$

-20 for no
are length formula
-3 for derivative
mistakes
-5 for no completing
the equare
-10 for attempt
at are length formule

$$= \int \int \left(\frac{1}{y^2} + \frac{1}{4y^2} \right)^2 dy$$

$$= \int_{1}^{6} \left(y^{2} + \frac{1}{4y^{2}} \right) dy$$

$$= \int_{1}^{3} \left(\sqrt{-1} \right) \sqrt{2} dx$$

$$= \left[36.2 - \frac{1}{24} - \frac{8}{24} + \frac{1}{24} \right]$$

$$= 72 - \frac{1}{8}$$